

Mock Exam 1

CANDIDATE NAME		
CENTRE NUMBER	CANDIDATE NUMBER	
PHYSICS		9702

1 hour 30 minutes

Paper 2 AS Level Structured Questions

You must answer on the question paper.

No additional materials are needed.

INSTRUCTIONS

- Answer all questions.
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs.
- Write your name, centre number and candidate number in the boxes at the top of the page.
- Write your answer to each question in the space provided.
- Do **not** use an erasable pen or correction fluid.
- Do **not** write on any bar codes.
- You may use a calculator.
- You should show all your working and use appropriate units.

INFORMATION

- The total mark for this paper is 68.
- The number of marks for each question or part question is shown in brackets [].

1 (a) State the principle of moments.

[2]

(b) A hollow plastic sphere is attached at one end of a bar. The sphere is partially submerged in water and the bar is attached to a fixed vertical support by a pivot P, as shown in Fig. 3.1.



The sphere has weight 0.30 N. The distance from P to the centre of gravity of the sphere is 0.29 m. Assume that the weight of the bar is negligible.

Calculate the moment of the weight of the sphere about P.

moment = Nm [2]

(c) The system shown in Fig. 3.1 is part of a mechanism that controls the amount of water in a tank.

Water enters the tank and causes the sphere to rise. This results in the bar becoming horizontal. Fig. 3.2 shows the system in its new position.



Fig. 3.2 (not to scale)

In this position the rod R exerts a force to compress a horizontal spring that controls the water supply to the tank. R is positioned at a perpendicular distance of 0.017 m above P.

The variation of the force F applied to the spring with compression x of the spring is shown in Fig. 3.3.



Fig. 3.3

(i) Use Fig. 3.3 to calculate the spring constant *k* of the spring.

 $k = \dots N m^{-1} [2]$ (ii) At the position shown in Fig. 3.2, the system is stationary and in equilibrium. The radius of the sphere is 0.0480 m and 26.0% of the volume of the sphere is submerged. The density of water is 1.00×10^3 kg m⁻³. Show that the upthrust on the sphere is 1.18 N. [2] By taking moments about P, determine the force exerted on the spring by the rod R. (iii)

force = N [2]

(iv) Calculate the elastic potential energy $E_{\rm P}$ of the compressed spring.

*E*_P = J [2] (d) When the sphere moves from the position shown in Fig. 3.1 to the position shown in Fig. 3.2, the upthrust on the sphere does work. Assume that resistive forces are negligible. Explain why the work done by the upthrust is not equal to the gain in elastic potential energy of the spring. [Total: 13]

2 A spherical balloon is filled with a fixed mass of gas. A small block is connected by a string to the balloon, as shown in Fig. 2.1.



Fig. 2.1 (not to scale)

The block is held on the ground by an external force so that the string is vertical. The density of the air surrounding the balloon is 1.2 kgm^{-3} . The upthrust acting on the balloon is 0.071 N. The upthrust acting on the string and block is negligible.

(a) By using Archimedes' principle, calculate the radius *r* of the balloon.



(b) The total weight of the balloon, string and block is 0.053 N.

The external force holding the block on the ground is removed so that the released block is lifted vertically upwards by the balloon.

Calculate the acceleration of the block immediately after it is released.

acceleration = ms^{-2} [3]

(c) The balloon continues to lift the block. The string breaks as the block is moving vertically upwards with a speed of $1.4 \,\mathrm{m\,s^{-1}}$. After the string breaks, the detached block briefly continues moving upwards before falling vertically downwards to the ground. The block hits the ground with a speed of $3.6 \,\mathrm{m\,s^{-1}}$.

Assume that the air resistance on the block is negligible.

(i) By considering the motion of the block after the string breaks, calculate the height of the block above the ground when the string breaks.

height = m [2]

(ii) The string breaks at time t = 0 and the block hits the ground at time t = T.

On Fig. 2.2, sketch a graph to show the variation of the velocity v of the block with time t from t = 0 to t = T.

Numerical values of t are not required. Assume that v is positive in the upward direction.





3 (a) A progressive longitudinal wave travels through a medium from left to right. Fig. 4.1 shows the positions of some of the particles of the medium at time t_0 and a graph showing the particle displacements at the same time t_0 .



Particle displacements to the right of their equilibrium positions are shown as positive on the graph and particle displacements to the left are shown as negative on the graph.

The period of the wave is T.

- (i) On Fig. 4.1, draw circles around two particles which are exactly one wavelength apart.
- (ii) On Fig. 4.1, sketch a line on the graph to represent the displacements of the particles for the longitudinal wave at time $t_0 + \frac{T}{4}$. [3]
- (iii) State the direction of motion of particle Z at time $t_0 + \frac{T}{4}$.
- (b) The frequency of the wave in (a) is 16 kHz. The distance between particles X and Y is 0.19 m. Calculate the speed of the wave as it travels through the medium.

speed = $m s^{-1}$ [3]

[1]

(c) A longitudinal sound wave is travelling through a solid. The initial intensity of the wave is I_0 . The frequency of the wave remains constant and the amplitude falls to half of its original value.

Determine, in terms of I_0 , the final intensity of the wave.

intensity = I_0 [2] (d) The sound wave in (c) now meets another sound wave travelling in the opposite direction. (i) State a condition necessary for these two waves to form a stationary wave. (ii) State two ways in which a stationary wave differs from a progressive wave. 1 2 [2] [Total: 13] 4 A horizontal string is stretched between two fixed points A and B. A vibrator is used to oscillate the string and produce an observable stationary wave.

At one instant, the moving string is straight, as shown in Fig. 5.1.



Fig. 5.1

The dots in the diagram represent the positions of the nodes on the string. Point P on the string is moving downwards.

The wave on the string has a speed of $35 \,\mathrm{m\,s^{-1}}$ and a period of 0.040 s.

(a) Explain how the stationary wave is formed on the string.



- (b) On Fig. 5.1, sketch a line to show a possible position of the string a quarter of a cycle later than the position shown in the diagram. [1]
- (c) Determine the horizontal distance from A to B.

distance = m [3]

(d) A particle on the string has zero displacement at time t = 0. From time t = 0 to time t = 0.060 s, the particle moves through a total distance of 72 mm.

Calculate the amplitude of oscillation of the particle.

amplitude = mm [2] [Total: 8]

5 (a) Parallel light rays from the Sun are incident normally on a magnifying glass. The magnifying glass directs the light to an area A of radius *r*, as shown in Fig. 5.1.



Fig. 5.1 (not to scale)

The magnifying glass is circular in cross-section with a radius of 5.5 cm. The intensity of the light from the Sun incident on the magnifying glass is 1.3 kW m^{-2} .

Assume that all of the light incident on the magnifying glass is transmitted through it.

(i) Calculate the power of the light from the Sun incident on the magnifying glass.

	power = W [2]
	perrol
(ii)	The value of <i>r</i> is 1.5 mm.
	Calculate the intensity of the light on area A.
	intensity =

- (b) A laser emits a beam of electromagnetic waves of frequency 3.7×10^{15} Hz in a vacuum.
 - (i) Show that the wavelength of the waves is 8.1×10^{-8} m.

[2]

(ii) State the region of the electromagnetic spectrum to which these waves belong.

......[1]

(iii) The beam from the laser now passes through a diffraction grating with 2400 lines per millimetre. A detector sensitive to the waves emitted by the laser is moved through an arc of 180° in order to detect the maxima produced by the waves passing through the grating, as shown in Fig. 5.2.



Calculate the number of maxima detected as the detector moves through 180° along the line shown in Fig. 5.2. Show your working.

number of maxima detected =[4]

(iv) The laser is now replaced with one that emits electromagnetic waves with a wavelength of 300 nm.

Explain, without calculation, what happens to the number of maxima now detected. Assume that the detector is also sensitive to this wavelength of electromagnetic waves.

[2] [Total: 12] 6 (a) For a progressive wave, state what is meant by its *period*.

.....[1]

(b) State the principle of superposition.

(c) Electromagnetic waves of wavelength 0.040 m are emitted in phase from two sources X and Y and travel in a vacuum. The arrangement of the sources is shown in Fig. 4.1.



Fig. 4.1 (not to scale)

A detector moves along a path that is parallel to the line XY. A pattern of intensity maxima and minima is detected.

Distance XZ is 1.380 m and distance YZ is 1.240 m.

(i) State the name of the region of the electromagnetic spectrum that contains the waves from X and Y.

(ii) Calculate the period, in ps, of the waves.

period = ps [3]

(iii) Show that the path difference at point Z between the waves from X and Y is 3.5λ , where λ is the wavelength of the waves.

 7 A battery of electromotive force (e.m.f.) 12V and negligible internal resistance is connected to a network of two lamps and two resistors, as shown in Fig. 6.1.



Fig. 6.1

The two lamps in the circuit have equal resistances. The two resistors have resistances R and 28 Ω . The lamps are connected at junction X and the resistors are connected at junction Y. The current in the battery is 0.50A and the current in the lamps is 0.20A.

(a) Calculate:

(i) the resistance of each lamp (ii) resistance R. Ω [2] $R = \dots \Omega$ [2]

(b) Determine the potential difference V_{XY} between points X and Y.

(c) Calculate the ratio

total power dissipated by the lamps total power produced by the battery.

ratio = [2]

(d) The resistor of resistance R is now replaced by another resistor of lower resistance.

State and explain the effect, if any, of this change on the ratio in (c).

[2]

[Total: 11]

8 (a) The nuclide ${}_{6}^{14}$ C (carbon-14) is unstable and undergoes β^{-} decay, emitting a high-energy electron and an antineutrino to form a new nuclide X. The equation for this decay is shown.

 ${}^{14}_{6}C \rightarrow \boxed{}^{X} X + \boxed{}^{0}_{0}\overline{\nu}$

Complete the equation.

(b) (i) State the equation for β^- decay in terms of the fundamental particles involved.

(ii) Use your equation from (b)(i) to show how charge is conserved in β^- decay.

[2]

[1]

- (c) Neutrinos were first proposed to exist more than 20 years before they were directly detected, in order to explain a particular experimental observation about β -decay.
 - (i) State an observation about β -decay that is explained by the existence of neutrinos.

[1]

(ii) Suggest how the existence of neutrinos explains the observation in (c)(i).

[Total: 6]